

				Sub	ject	Coo	de: I	REC	3402
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BTECH (SEM IV) THEORY EXAMINATION 2021-22 ELECTROMAGNETIC FIELD THEORY

Time: 3 Hours Total Marks: 70

Note: 1. Attempt all Sections. If require any missing data; then choose suitably.

A ttor	SECTION A mpt <i>all</i> questions in brief. $2 \times 7 = 14$
a.	Find the Laplacian of $V_2 = \rho z (\cos \phi + \sin \phi)$.
b.	List the examples of uniform and non-uniform electric field.
c.	Examine magnetic scalar and vector potentials.
d.	Charge $10^{-4}e^{-2t}$ C is removed from a sphere through a wire. Find the current in the wire
u.	at $t=2$ sec.
e.	Examine mathematically and theoretically $\nabla \cdot \bar{B} = 0$
f.	Examine skin depth for conductors and derive its mathematical expression.
g.	Differentiate magnetic field intensity and electric field intensity.
	SECTION B
	mpt any three of the following: $7 \times 3 = 21$
a.	Obtain an expression for the electric field for each possible case due to an uniforml charged sphere of radius R and volume charge density ρ.
b.	Derive the mathematical expression for energy stored in magnetic field.
c.	Explain uniform plane wave. Derive uniform plane waves in lossless dielectrics.
d.	Investigate convection and conduction currents. Derive mathematical equations also.
e.	Explain Biot-Savart's law with their mathematical relations.
Atter	SECTION C mpt any <i>one</i> part of the following: $7 \times 1 = 7$
Atter (a)	mpt any one part of the following: $7 \times 1 = 7$ If $V = x^2 + y^2 + xy$ V, Evaluate E at $(1, 2, 3)$ and the electrostatic energy stored in
	mpt any <i>one</i> part of the following: $7 \times 1 = 7$
(a) (b)	mpt any one part of the following: $7 \times 1 = 7$ If $V = x^2 + y^2 + xy$ V, Evaluate E at $(1, 2, 3)$ and the electrostatic energy stored in cube of side 2m centered at origin.
(a) (b)	If $V = x^2 + y^2 + xy$ V, Evaluate E at $(1, 2, 3)$ and the electrostatic energy stored in cube of side 2m centered at origin. State and prove Gauss Divergence theorem. Input any one part of the following: The part of the
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